

# Efficient Aggregation of encrypted data in Wireless Sensor Networks

Claude Castelluccia, Einar Mykletun, Gene Tsudnik

Refik Hadzialic

Rechnernetze und Telematik  
Seminar: Ad-Hoc Networks

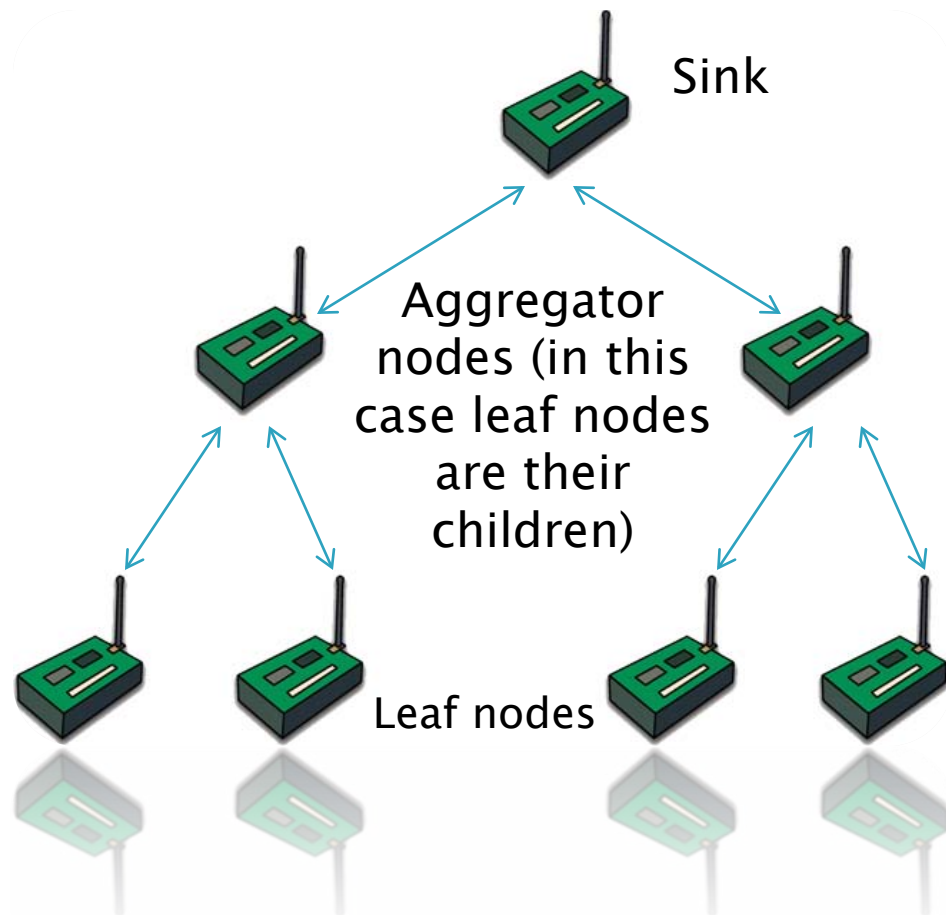
Prof. Christian Schindelhauer, Arne Vater

# Agenda of the Presentation

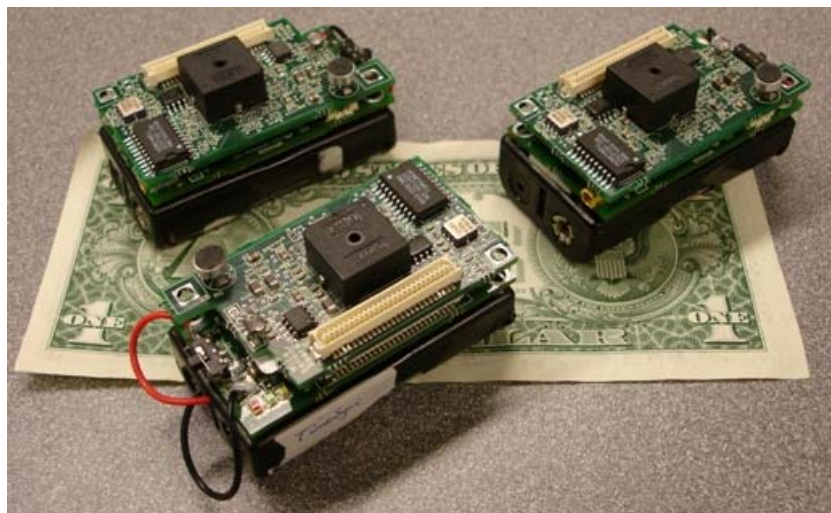
- ▶ Introduction
- ▶ Sensor nodes
- ▶ Aggregation of data
- ▶ Protection
  - Encryption
  - Homomorphic property
  - Key stream generation and stream cipher
- ▶ Computation of Average and Variance
- ▶ Analysis
- ▶ Results
- ▶ Improvements

# Introduction to the topic

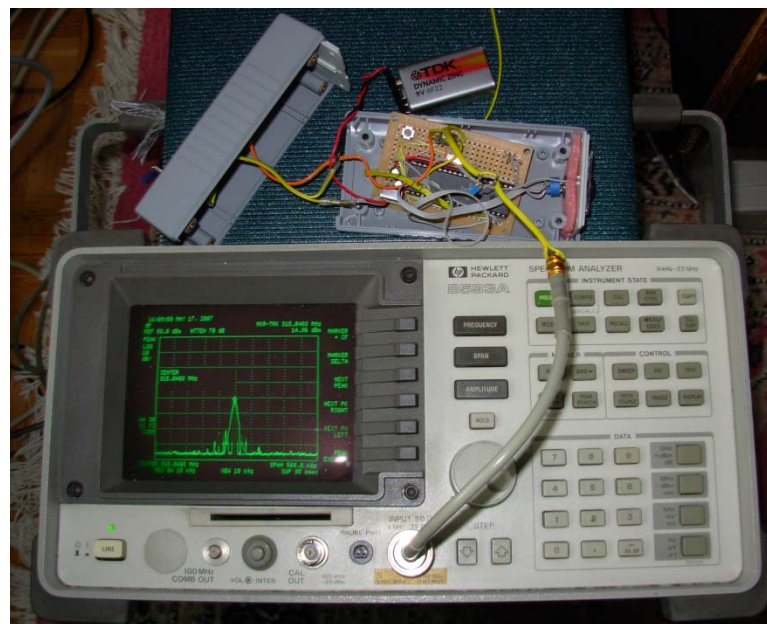
- ▶ What is an WSN?
- ▶ Goals of WSNs
  - Monitoring of the environment
- ▶ Limitations of Nodes
  - Limited computation power
  - Battery powered
  - RF (ISM Band) power limitation



# Typical sensor nodes



MICA2Mote

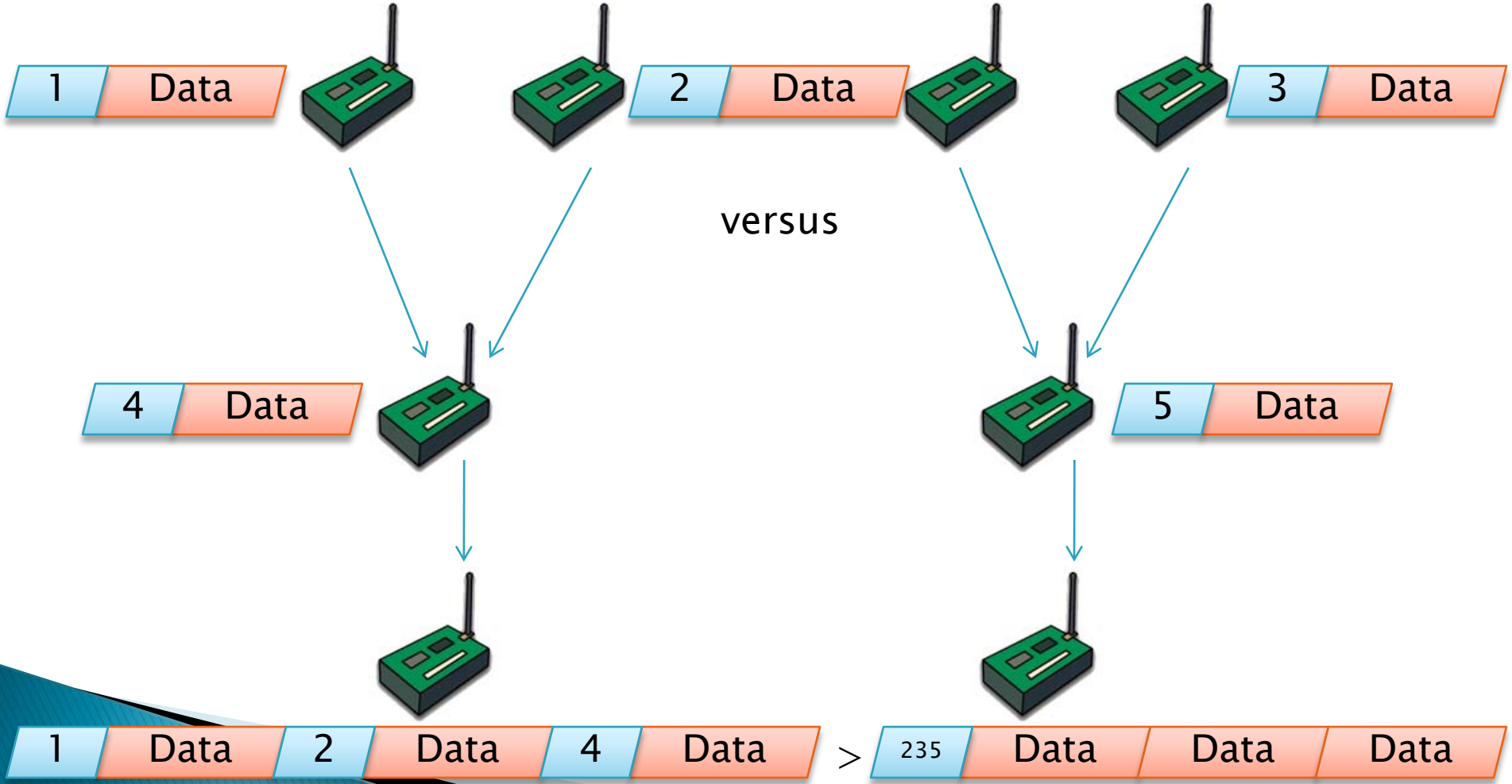


My own developed Sensor nodes  
for a Wireless Alarm System

# Aggregation of Data

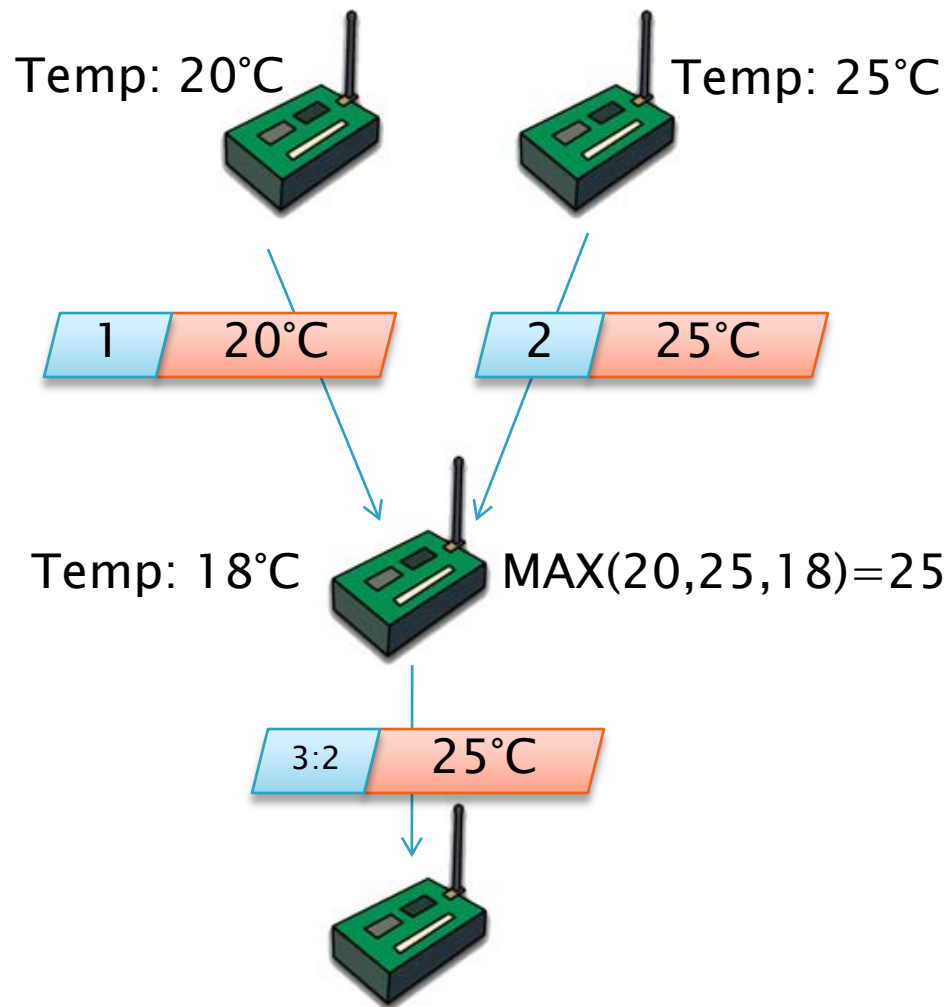
Sending of data without Aggregation

Sending of data with Aggregation



# Aggregation of data

- ▶ In most cases we need only the max/min or the mean value.



# Protection of data

- ▶ We need to protect our data from listeners (e.g. a competitor company who wants to use our sensor data for their products)
- ▶ Predator MQ-1
- ▶ Solution: Encrypt data
- ▶ End-to-end encryption



# Aggregation + Encryption

- ▶ Aggregation and encryption problems?
- ▶ Aggregate the data without giving any node the privilege of knowing what is inside in the packet of its child?

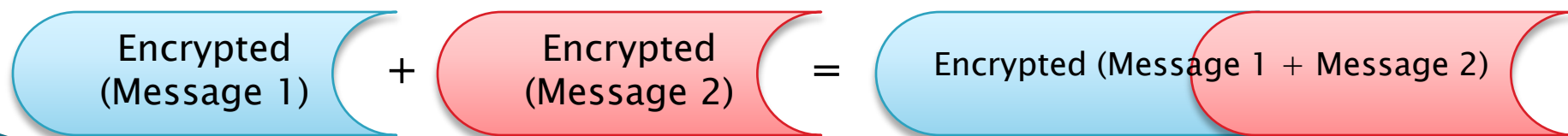


# Aggregation + Encryption

- ▶ Aggregation and encryption problems?
- ▶ Aggregate the data without giving any node the privilege of knowing what is inside in the packet of its child?
- ▶ YES!
- ▶ By using the property of homomorphic encryption algorithms.

# Property of homomorphic encryption algorithms

- ▶ What is homomorphic encryption?
- ▶ Voting system!
- ▶  $\xi(X+Y) = \xi(X) + \xi(Y)$ , where  $\xi(X)$  denotes encryption of some value  $X$ .



# Encryption algorithm

- ▶ Encryption:

$$c_i = Enc(m_i, k_i, M) = m_i + k_i \pmod{M}$$

- ▶ Decryption:

$$Dec(C, K, M) = C - K \pmod{M}$$

where:

m – message

k – secret key

M – big modulo number

C – sum of decrypted messages ( $C = c_1 + c_2 + \dots + c_n$ )

c – decrypted message (cipher)

K – sum of all secret keys ( $K = k_1 + k_2 + \dots + k_n$ )

# Conditions for the encryption

- ▶ Discrete logarithm scheme

$$c_1 \cdot c_2 = Enc_k(m_1 + m_2)$$

- ▶ This property holds as long as:

$$M = 2^{\lceil \log_2(p*n) \rceil}$$

$$p = \max(m_i)$$

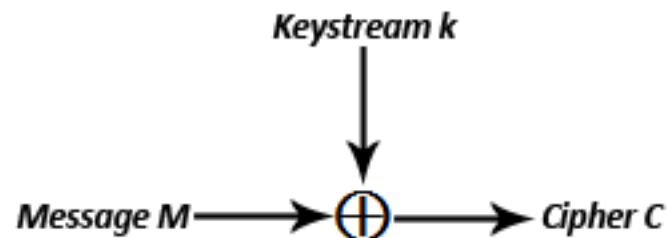
$n$  – *number of nodes*

- ▶  $k$  – generated randomly using a stream cipher

# Stream cipher

- ▶ e.g. plaintext message byte  $M=145$
- ▶ e.g. keystream byte  $k=234$

- ▶  $C=M\oplus k$
- ▶  $C=123$



- ▶ RC4 can encrypt  $\sim 1$  MByte/s on 33 MHz, ATMEL MCU works on around 16 MHz

# Computation of Average and Variance

- ▶ DSP
- ▶ Average calculation
- ▶ Variance calculation

$$\mu = \frac{1}{N} \sum_{i=0}^{N-1} x_i$$

$$V = \sum_{i=0}^{k-1} x_i^2$$

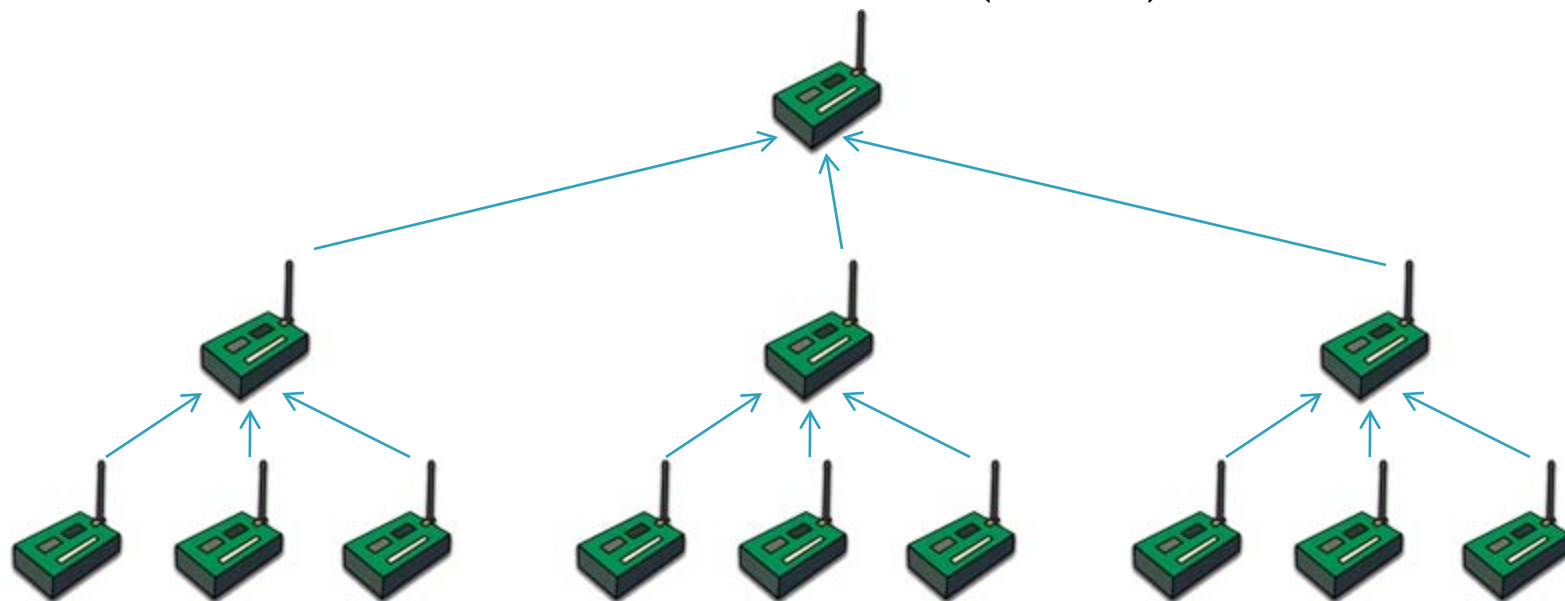
$$Var = E(x^2) - E(x)^2$$

$$E(x^2) = \frac{\sum_{i=0}^{k-1} x_i^2}{k}$$

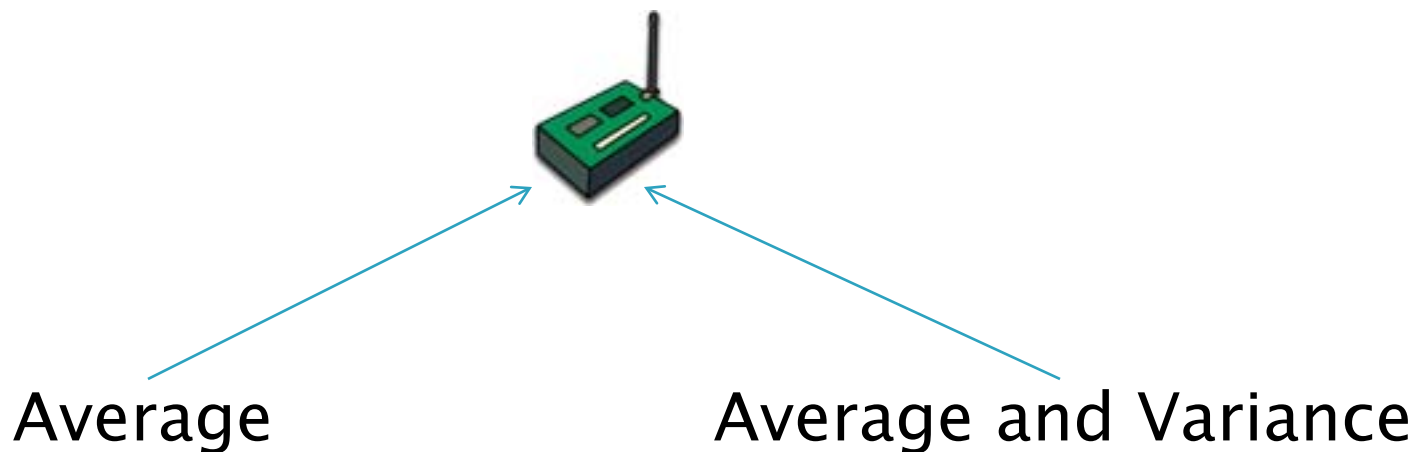
$$E(x) = \frac{\sum_{i=0}^{k-1} x_i}{k}$$

# Analysis methods

- ▶ 3-ary tree
- ▶ No aggregation(No-Agg)
- ▶ Hop-by-Hop (HBH)
- ▶ Proposed Aggregation method (AGG)



# Analysis methods



## ▶ Interests:

- The number of bits sent per node at different levels in a 3-ary tree
- The total number of bits transmitted throughout the WSN for 3-ary trees of various heights



# Analysis

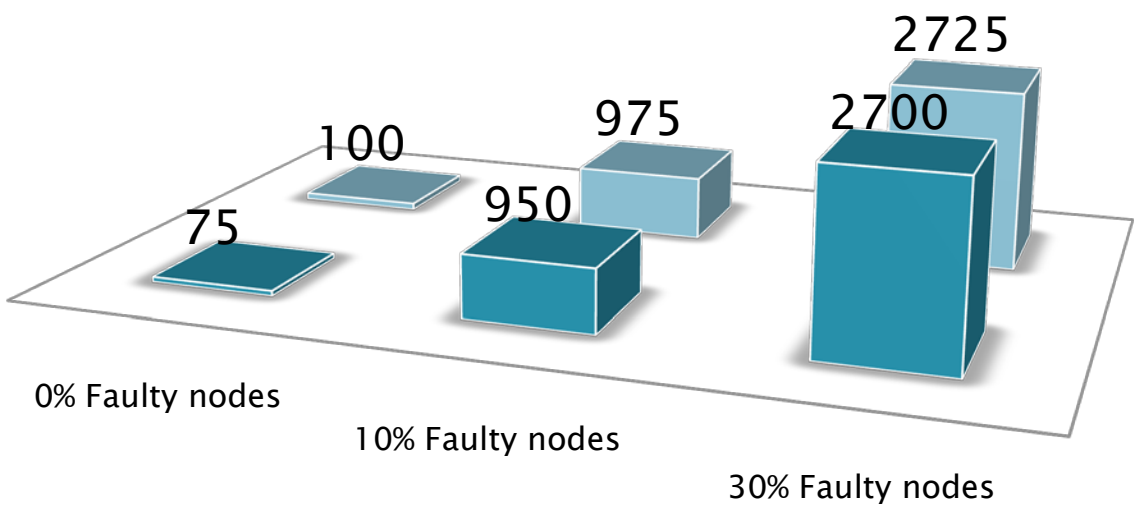
- ▶ No aggregation – safest, no bandwidth gain, nodes near the sink die asap
- ▶ HBH – best bandwidth gain, no end-to-end encryption, easy hackable, battery power used for encryption and decryption
- ▶ Authors method – bandwidth efficient, end-to-end encryption

# Results – Comparison

Bit-length (Authors' method)

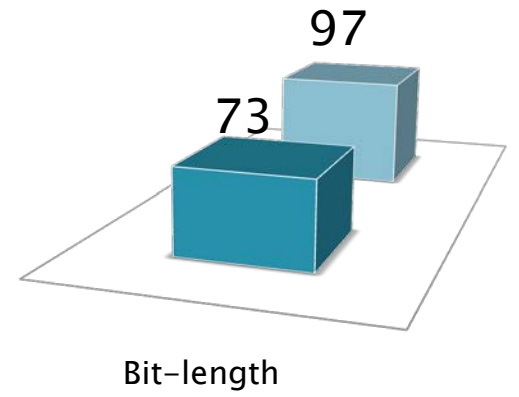
height=7

■ Average    ■ Average & Variance



HBH Mehtod

■ HBH-Average    ■ HBH-Average & Variance



No aggregation method would require: **68859** bits

# Result analysis

$$M_A = n \cdot t$$

- ▶ Take the log of this

$$\begin{aligned} 56 + \log(t) + \log(n) &= \\ 56 + \log(128) + \log(2187) &= \\ = 56 + 7 + 12 &= 75 \end{aligned}$$

where  $n$  - number of nodes

$t$  -  $\max(m_i)$

# Improvements

- ▶ Is there a way to improve the compression ratio?

# Improvements

- ▶ Is there a way to improve the compression ratio?
- ▶ **YES!** There is a way of doing this by taking into account some known facts. BUT HOW?

# Improvements – Huffman encoding

- ▶ Idea: replace frequently occurring symbols with a smaller bit representation than those that occur rarely
- ▶ e.g. average temperatures in June, in Sarajevo

Highest temp. June	Lowest temp. June
<i>+27°C</i>	<i>+14 °C</i>

# Improvements – Delta encoding

- ▶ Original data stream: 17 19 24 24 21
- ▶ Delta encoded: 17 +2 +5 0 -3
- ▶ pros: when sample-to-sample values deviate slowly (which is mostly the case in temperature)
- ▶ cons: won't work easily if average values are needed; requires knowing the order of sent data

# Conclusion

- ▶ New approach to the problem
- ▶ End-to-end encryption
- ▶ Fast (not much CPU power is used)
- ▶ Aggregation of data
- ▶ Bandwidth efficient
- ▶ Equally distributed communication load
- ▶ Strong level of security
- ▶ Can be improved more (Huffman, Delta encoding, etc.)



# References

- ▶ Efficient Aggregation of encrypted data in Wireless Sensor Networks, Claude Castelluccia, Einar Mykletun, Gene Tsudnik
- ▶ Drahtlose Sensornetze: Datenaggregation, Algorithmen für drahtlose Netzwerke, Christian Schindelhauer
- ▶ Applied Cryptography, Bruce Schneier, Stream Cipher
- ▶ A Method of Homomorphic Encryption, XIANG Guang-Li
- ▶ The rest of used things was already mentioned in the footer of slides.

# Thank you

- ▶ Well, that would be it. Thank you for listening. I hope you enjoyed this as much as I did.
- ▶ Questions!?!?!?

