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Algorithms and Methods for Distributed Storage Networks

8 Storage Virtualization and DHT

Christian Schindelhauer

Albert-Ludwigs-Universität Freiburg
Institut für Informatik
Rechnernetze und Telematik
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Overview

- ▶ **Concept of Virtualization**
- ▶ **Storage Area Networks**
 - Principles
 - Optimization
- ▶ **Distributed File Systems**
 - Without virtualization, e.g. Network File Systems
 - With virtualization, e.g. Google File System
- ▶ **Distributed Wide Area Storage Networks**
 - Distributed Hash Tables
 - Peer-to-Peer Storage

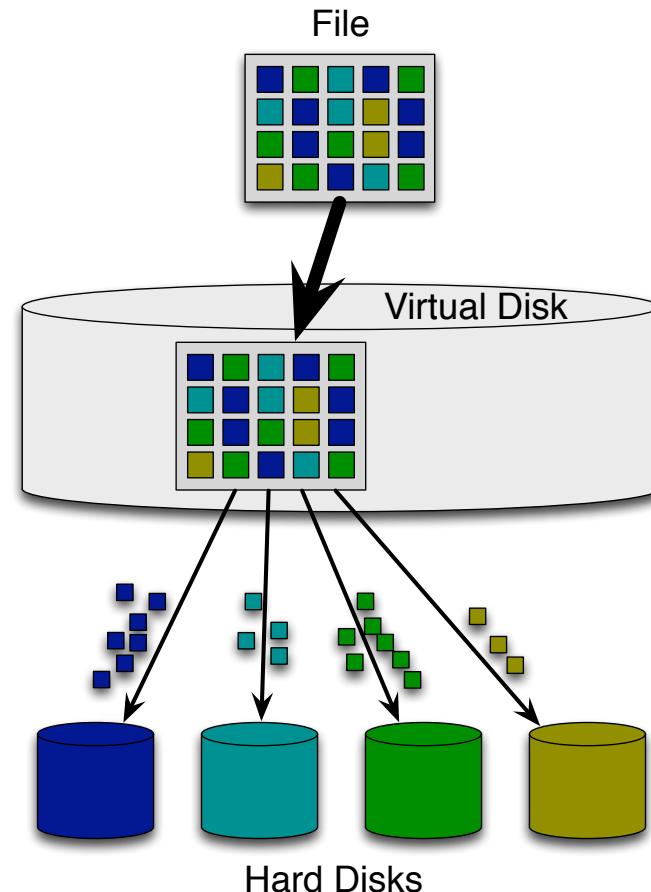
Concept of Virtualization

► Principle

- A virtual storage constitutes handles all application accesses to the file system
- The virtual disk partitions files and stores blocks over several (physical) hard disks
- Control mechanisms allow redundancy and failure repair

► Control

- Virtualization server assigns data, e.g. blocks of files to hard disks (address space remapping)
- Controls replication and redundancy strategy
- Adds and removes storage devices



Storage Virtualization

► Capabilities

- Replication
- Pooling
- Disk Management

► Advantages

- Data migration
- Higher availability
- Simple maintenance
- Scalability

► Disadvantages

- Un-installing is time consuming
- Compatibility and interoperability
- Complexity of the system

► Classic Implementation

- Host-based
 - Logical Volume Management
 - File Systems, e.g. NFS
- Storage devices based
 - RAID
- Network based
 - Storage Area Network

► New approaches

- Distributed Wide Area Storage Networks
- Distributed Hash Tables
- Peer-to-Peer Storage

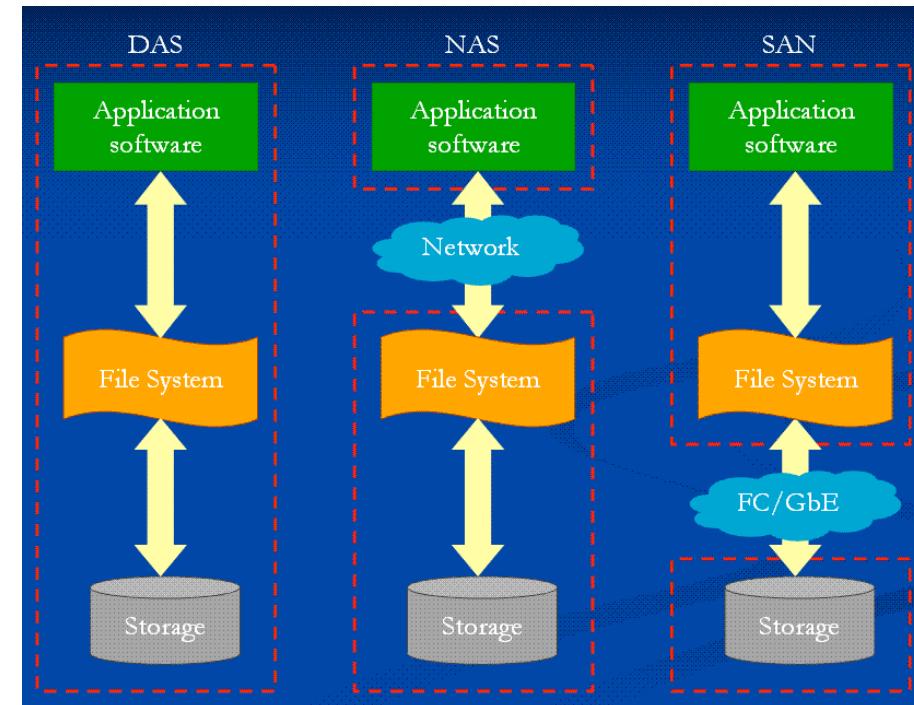
Storage Area Networks

- ▶ **Virtual Block Devices**
 - without file system
 - connects hard disks
- ▶ **Advantages**
 - simpler storage administration
 - more flexible
 - servers can boot from the SAN
 - effective disaster recovery
 - allows storage replication
- ▶ **Compatibility problems**
 - between hard disks and virtualization server

SAN Networking

► Networking

- FCP (Fibre Channel Protocol)
 - SCSI over Fibre Channel
- iSCSI (SCSI over TCP/IP)
- HyperSCSI (SCSI over Ethernet)
- ATA over Ethernet
- Fibre Channel over Ethernet
- iSCSI over InfiniBand
- FCP over IP



http://en.wikipedia.org/wiki/Storage_area_network

SAN File Systems

- ▶ **File system for concurrent read and write operations by multiple computers**
 - without conventional file locking
 - concurrent direct access to blocks by servers
- ▶ **Examples**
 - Veritas Cluster File System
 - Xsan
 - Global File System
 - Oracle Cluster File System
 - VMware VMFS
 - IBM General Parallel File System

Distributed File Systems (without Virtualization)

- ▶ **aka. Network File System**
- ▶ **Supports sharing of files, tapes, printers etc.**
- ▶ **Allows multiple client processes on multiple hosts to read and write the same files**
 - concurrency control or locking mechanisms necessary
- ▶ **Examples**
 - Network File System (NFS)
 - Server Message Block (SMB), Samba
 - Apple Filing Protocol (AFP)
 - Amazon Simple Storage Service (S3)

Distributed File Systems with Virtualization

- ▶ Example: Google File System
- ▶ File system on top of other file systems with builtin virtualization
 - System built from cheap standard components (with high failure rates)
 - Few large files
 - Only operations: read, create, append, delete
 - concurrent appends and reads must be handled
 - High bandwidth important
- ▶ Replication strategy
 - chunk replication
 - master replication

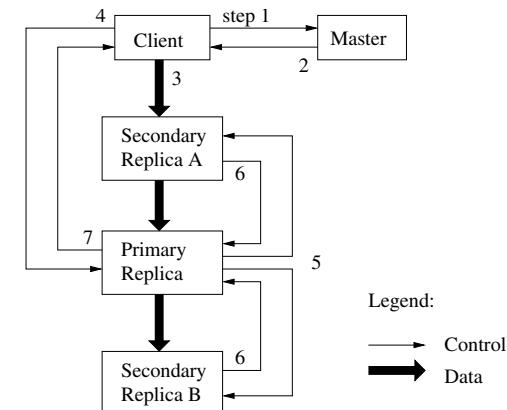
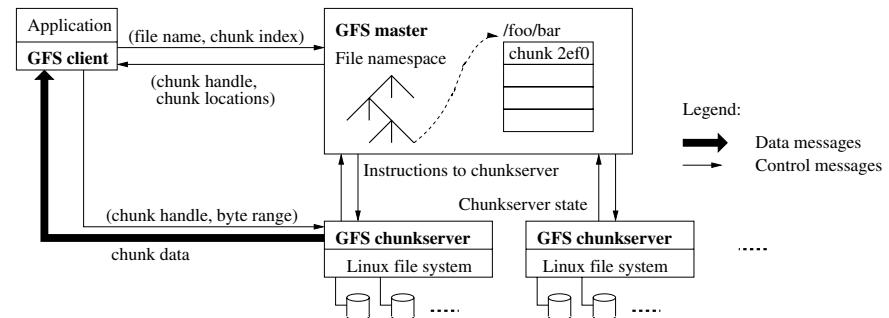


Figure 2: Write Control and Data Flow

Distributed Wide Area Storage Networks

- ▶ **Distributed Hash Tables**

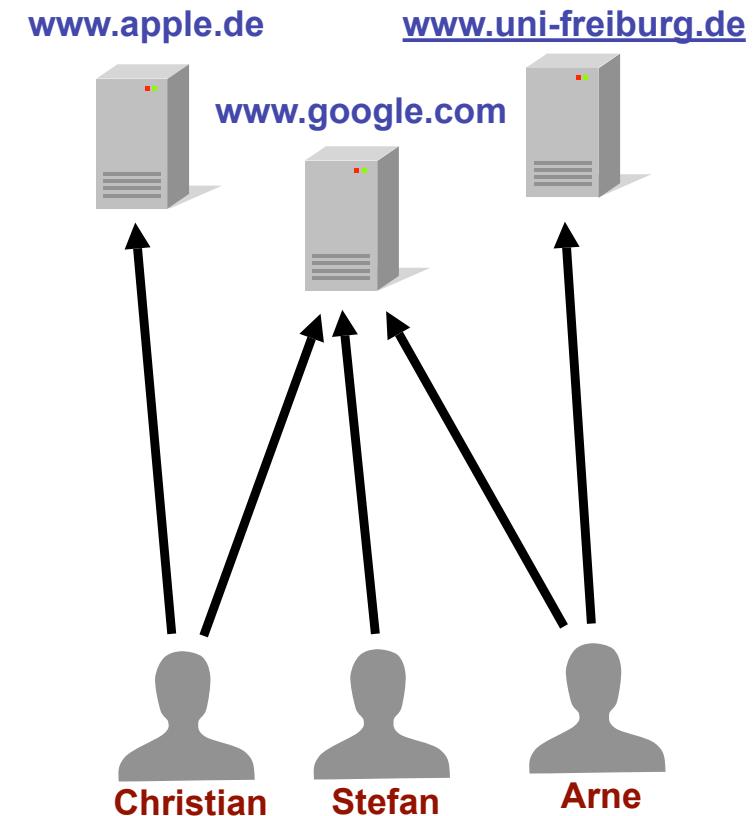
- Relieving hot spots in the Internet
- Caching strategies for web servers

- ▶ **Peer-to-Peer Networks**

- Distributed file lookup and download in Overlay networks
- Most (or the best) of them use: DHT

WWW Load Balancing

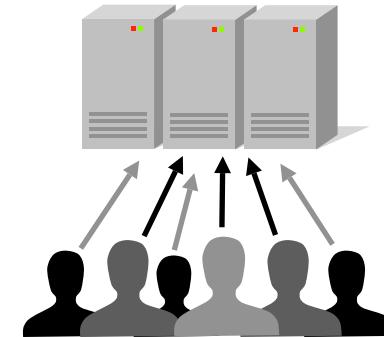
- ▶ Web surfing:
 - Web servers offer web pages
 - Web clients request web pages
- ▶ Most of the time these requests are independent
- ▶ Requests use resources of the web servers
 - bandwidth
 - computation time



Load

- ▶ **Some web servers have always high load**
 - for permanent high loads servers must be sufficiently powerful
- ▶ **Some suffer under high fluctuations**
 - e.g. special events:
 - jpl.nasa.gov (Mars mission)
 - cnn.com (terrorist attack)
 - Server extension for worst case not reasonable
 - Serving the requests is desired

www.google.com



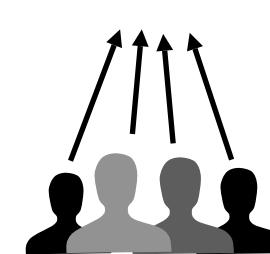
Monday



Tuesday

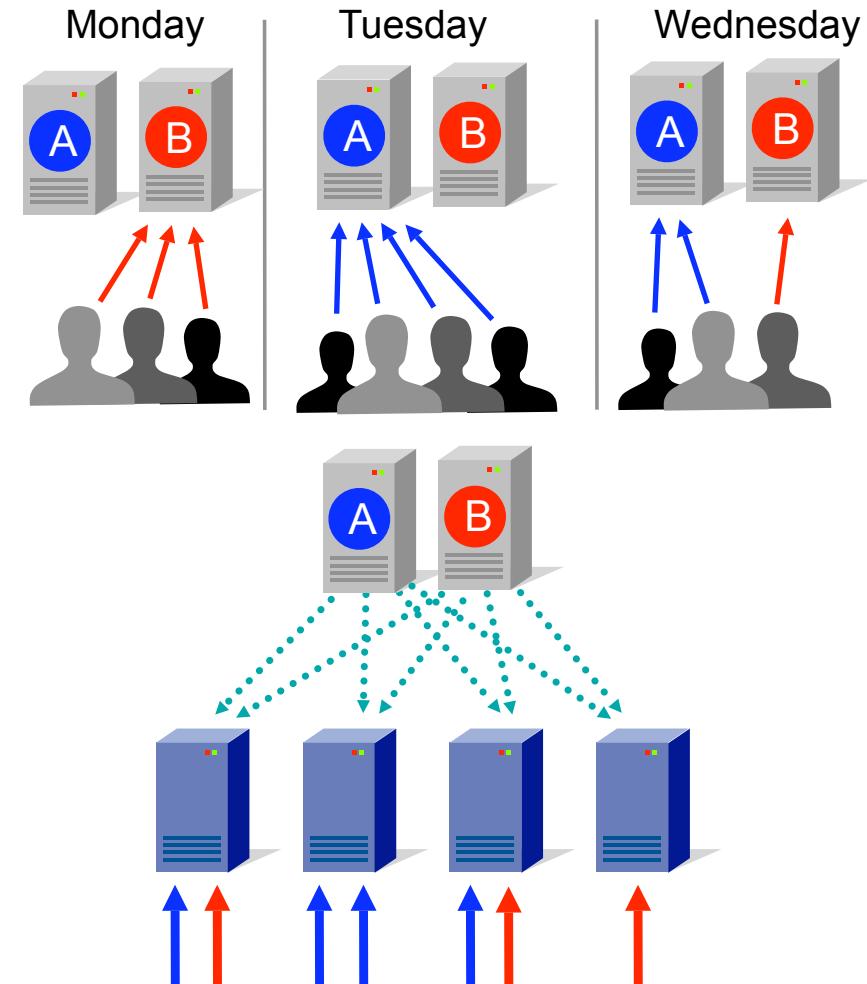


Wednesday



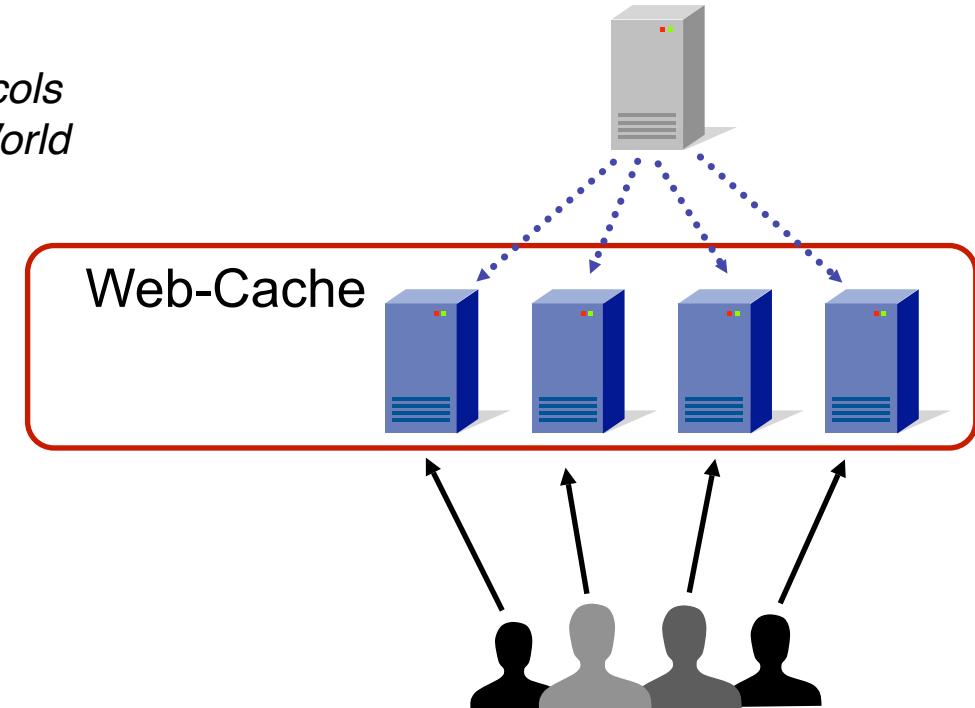
Load Balancing in the WWW

- ▶ Fluctuations target some servers
- ▶ (Commercial) solution
 - Service providers offer exchange servers an
 - Many requests will be distributed among these servers
- ▶ But how?



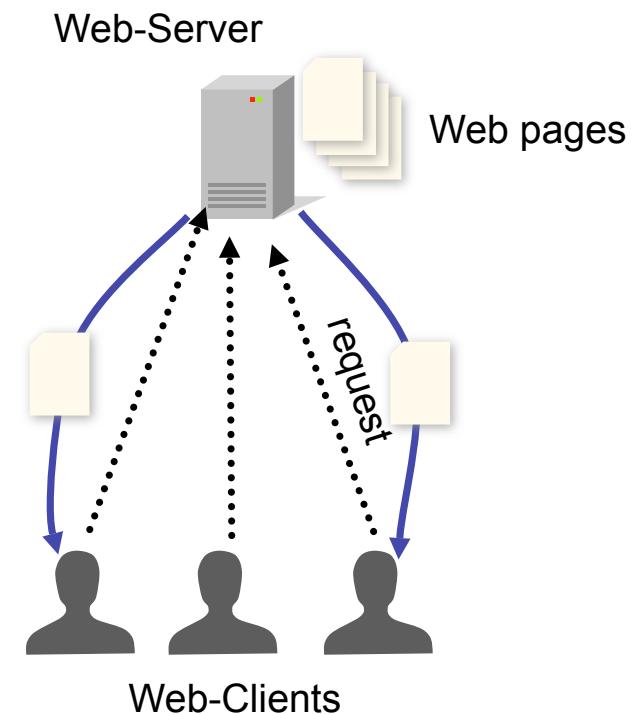
Literature

- ▶ **Leighton, Lewin, et al. STOC 97**
 - *Consistent Hashing and Random Trees: Distributed Caching Protocols for Relieving Hot Spots on the World Wide Web*
- ▶ **Used by Akamai (founded 1997)**



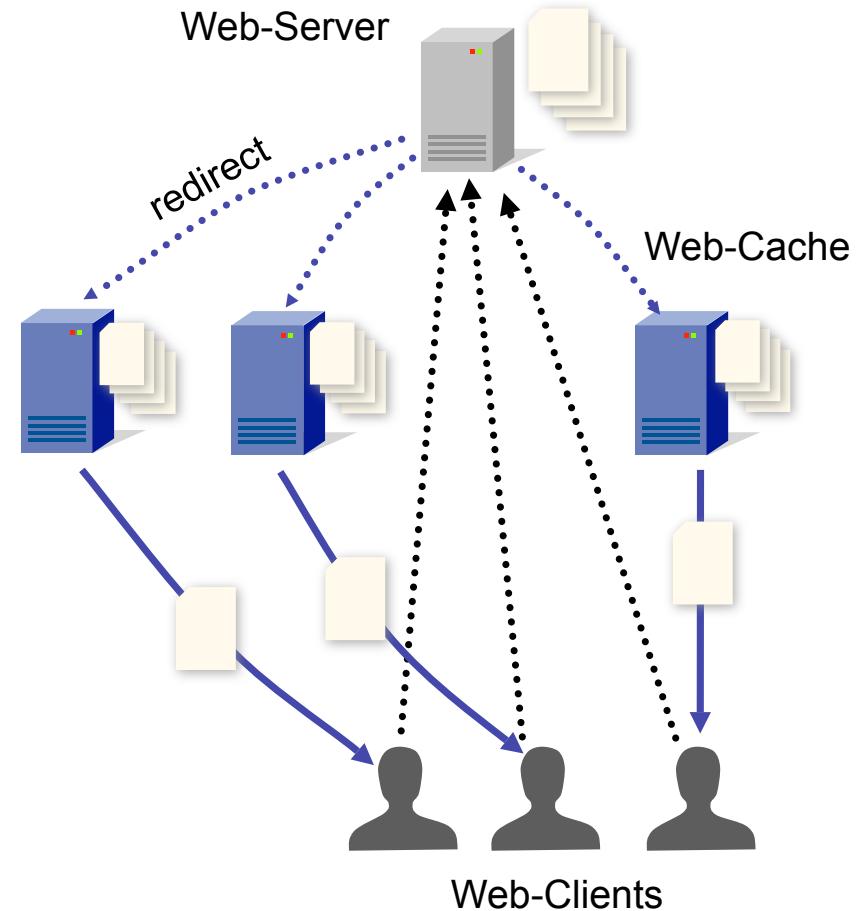
Start Situation

- ▶ **Without load balancing**
- ▶ **Advantage**
 - simple
- ▶ **Disadvantage**
 - servers must be designed for worst case situations



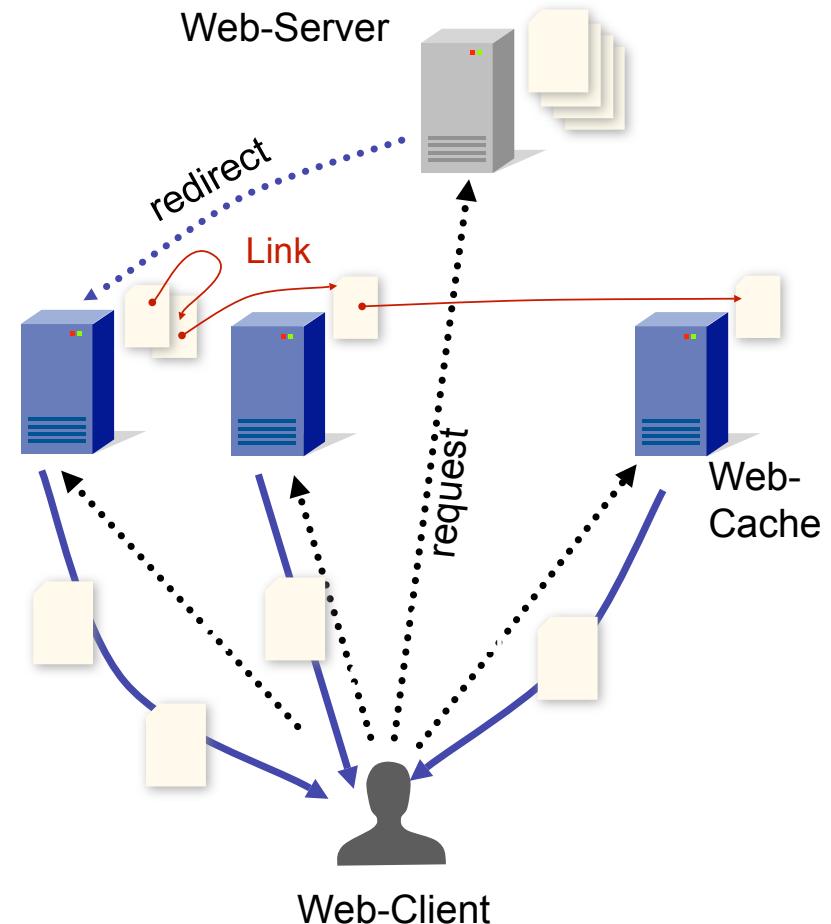
Site Caching

- ▶ The whole web-site is copied to different web caches
- ▶ Browsers request at web server
- ▶ Web server redirects requests to Web-Cache
- ▶ Web-Cache delivers Web pages
- ▶ **Advantage:**
 - good load balancing
- ▶ **Disadvantage:**
 - bottleneck: redirect
 - large overhead for complete web-site replication



Proxy Caching

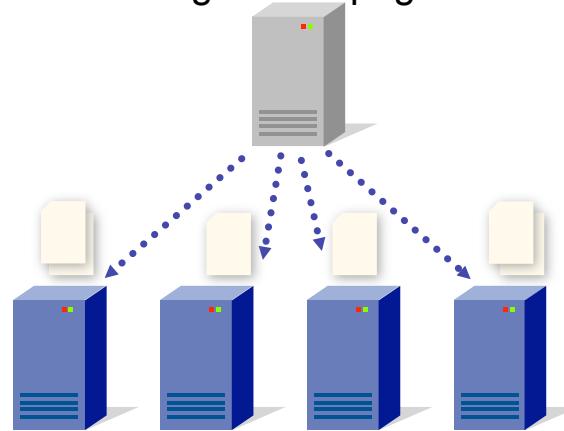
- ▶ Each web page is distributed to a few web-caches
- ▶ Only first request is sent to web server
- ▶ Links reference to pages in the web-cache
- ▶ Then, web clients surfs in the web-cache
- ▶ Advantage:
 - No bottleneck
- ▶ Disadvantages:
 - Load balancing only implicit
 - High requirements for placements



Requirements

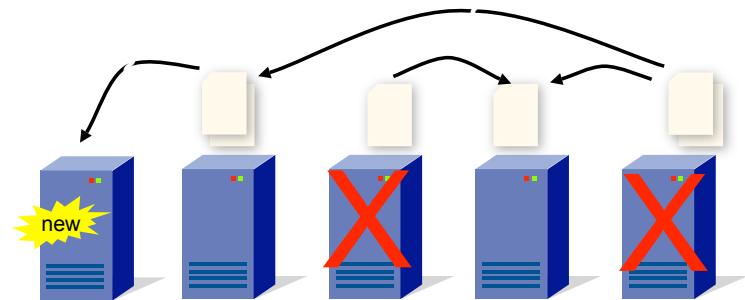
Balance

fair balancing of web pages



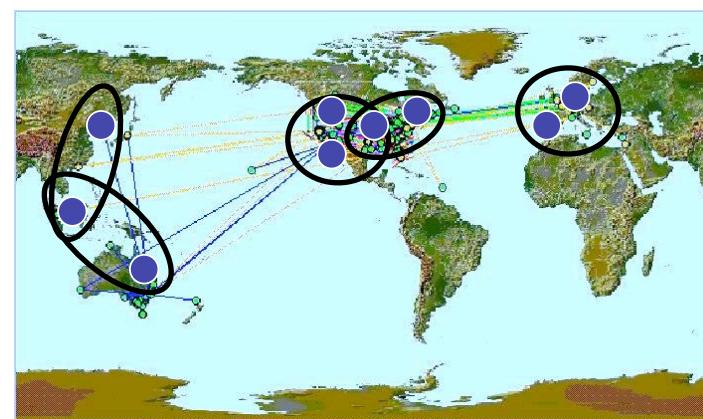
Dynamics

Efficient insert and delete of web-cache-servers and files

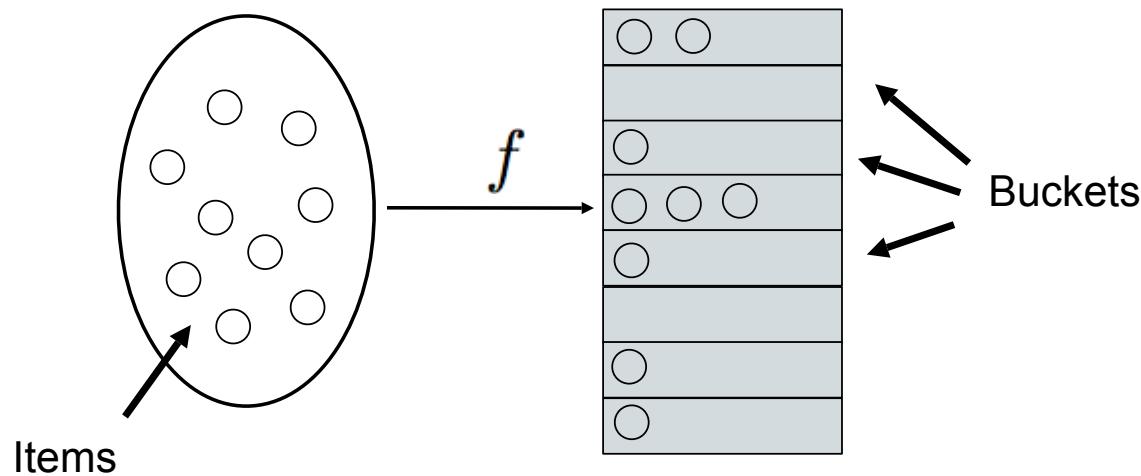


Views

Web-Clients „see“ different set of web-caches



Hash Functions



Set of Items: \mathcal{I}

Set of Buckets: \mathcal{B}

Example: $f(i) = ai + b \bmod n$

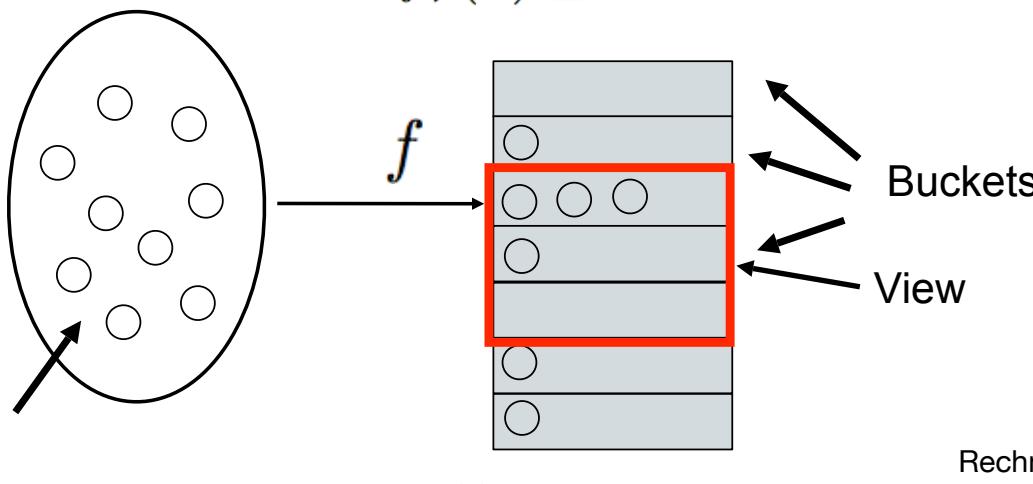
Ranged Hash-Funktionen

► Given:

- Items \mathcal{I} , Number $I := |\mathcal{I}|$
- Caches (Buckets), Bucket set: \mathcal{B}
- Views $\mathcal{V} \subseteq 2^{\mathcal{B}}$

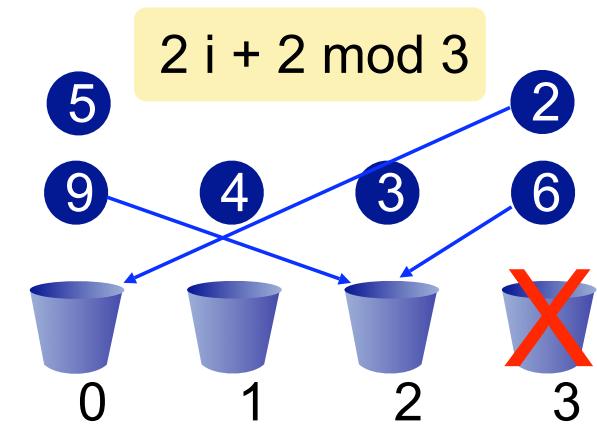
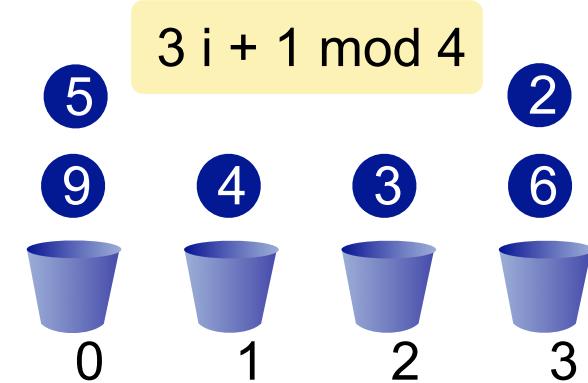
► Ranged Hash-Funktion:

- $f : 2^{\mathcal{B}} \times \mathcal{I} \rightarrow \mathcal{B}$
- Prerequisite: for alle views $f_{\mathcal{V}}(\mathcal{I}) \subseteq \mathcal{V}$



First Idea: Hash Function

- ▶ **Algorithm:**
 - Choose Hash funktion, e.g.
$$f(i) = ai + b \text{ mod } n$$
n: number of Cache servers
 - ▶ Balance:
 - very good
 - ▶ Dynamics
 - Insert or remove of a single cache server
 - New hash functions and total hashing
 - Very expensive!!



Requirements of the Ranged Hash Functions

- ▶ **Monotony**

- After adding or removing new caches (buckets) no pages (items) should be moved

- ▶ **Balance**

- All caches should have the same load

- ▶ **Spread (Verbreitung, Streuung)**

- A page should be distributed to a bounded number of caches

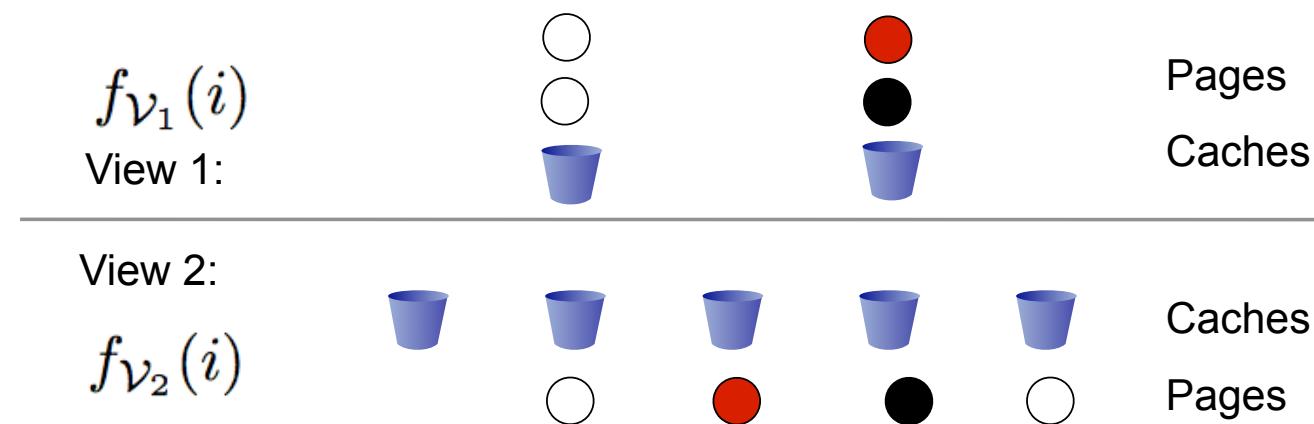
- ▶ **Load**

- No Cache should not have substantially more load than the average

Monotony

- After adding or removing new caches (buckets) no pages (items) should be moved
- Formally: For all $\mathcal{V}_1 \subseteq \mathcal{V}_2 \subseteq \mathcal{B}$

$$f_{\mathcal{V}_2}(i) \in \mathcal{V}_1 \Rightarrow f_{\mathcal{V}_1}(i) = f_{\mathcal{V}_2}(i)$$

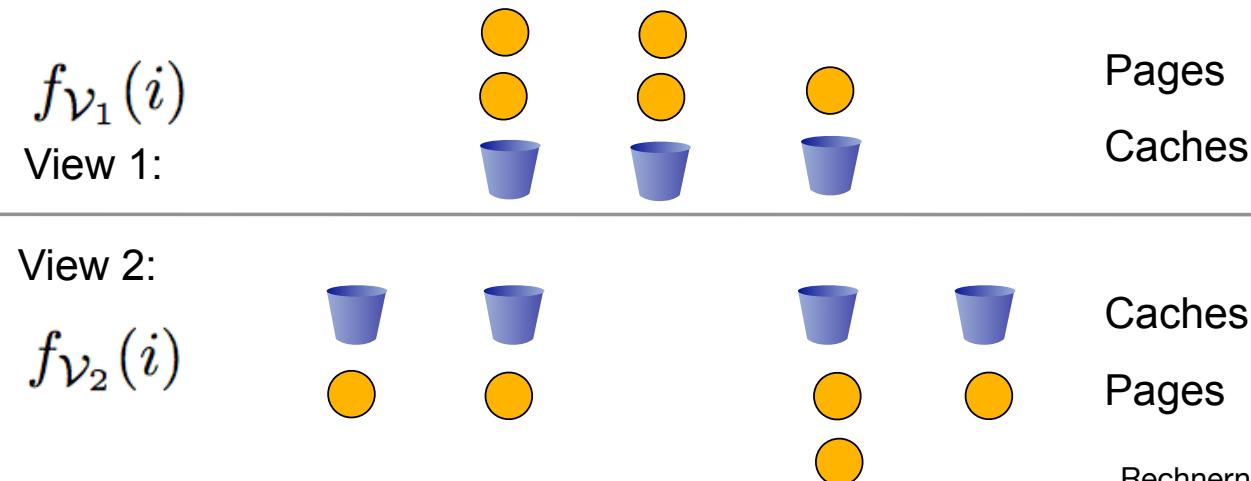


Balance

- For every view V the $f_V(i)$ balanced

For a constant c and all $\mathcal{V} \subseteq \mathcal{B}$:

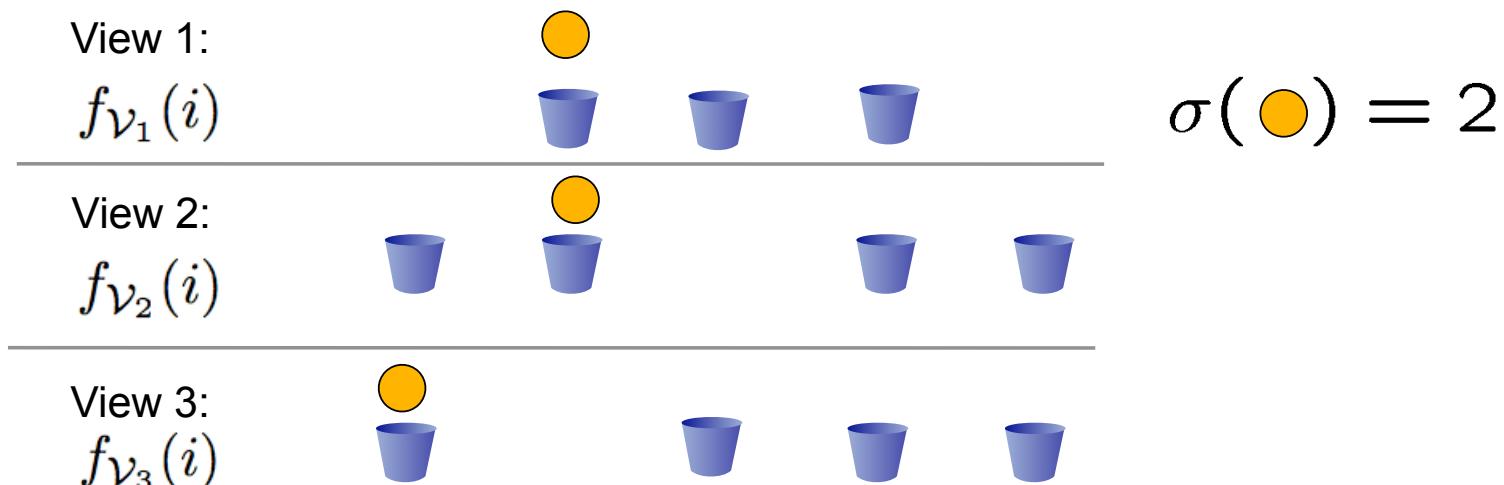
$$\Pr [f_{\mathcal{V}}(i) = b] \leq \frac{c}{|\mathcal{V}|}$$



Spread

- The spread $\sigma(i)$ of a page i is the overall number of all necessary copies (over all views)

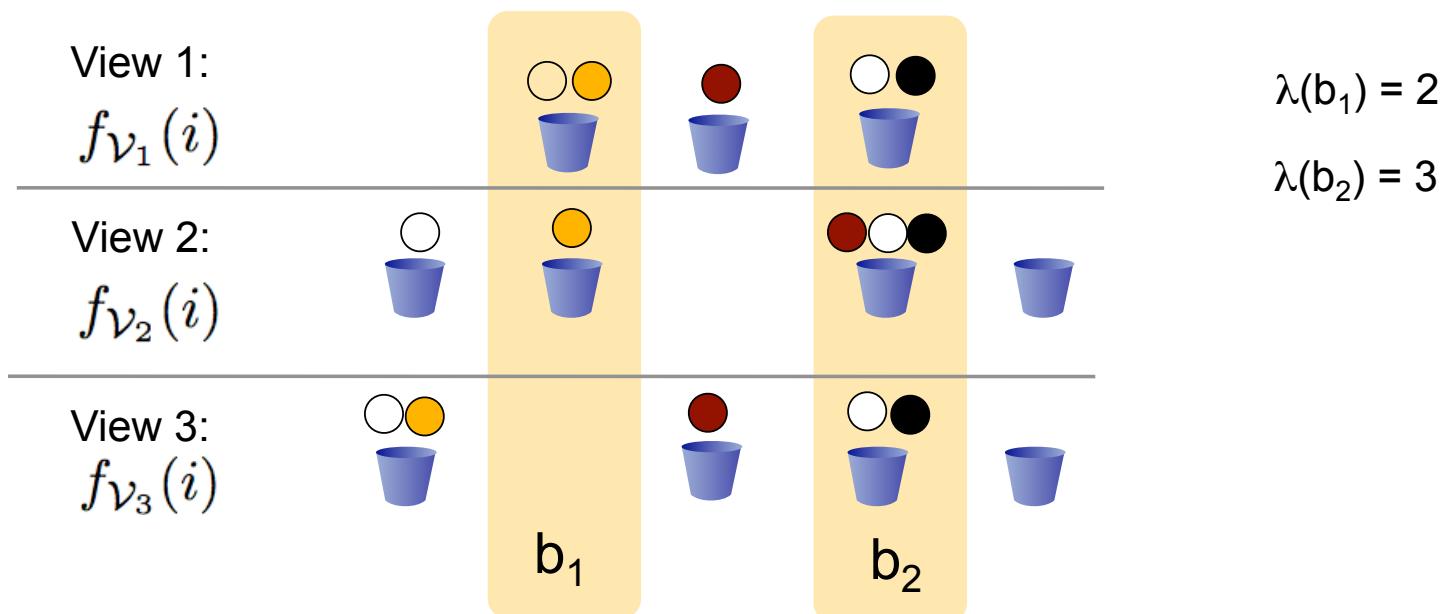
$$\sigma(i) := |\{f_{\mathcal{V}_1}(i), f_{\mathcal{V}_2}(i), \dots, f_{\mathcal{V}_V}(i)\}|$$



Load

- The load $\lambda(b)$ of a cache b is the over-all number of all copies (over all views) $\lambda(b) := |\{ \cup_{\mathcal{V}} H_{\mathcal{V}}(b) \}|,$

where $H_{\mathcal{V}}(b) :=$ set of all pages assigned to bucket b
in View \mathcal{V}



Distributed Hash Tables

Theorem

There exists a family of hash function
with the following properties

- Each function $f \in F$ is **monotone**
- **Balance:** For every view $\Pr [f_{\mathcal{V}}(i) = b] \leq \frac{c}{|\mathcal{V}|}$
- **Spread:** For each page i $\sigma(i) = \mathcal{O}(t \log C)$

with probability $1 - \frac{1}{C^{\Omega(1)}}$

- **Load:** For each cache b $\lambda(b) = \mathcal{O}(t \log C)$

mit W'keit $1 - \frac{1}{C^{\Omega(1)}}$

C number of caches (Buckets)
C/t minimum number of caches per View
V/C = constant (#Views / #Caches)
I = C (# pages = # Caches)

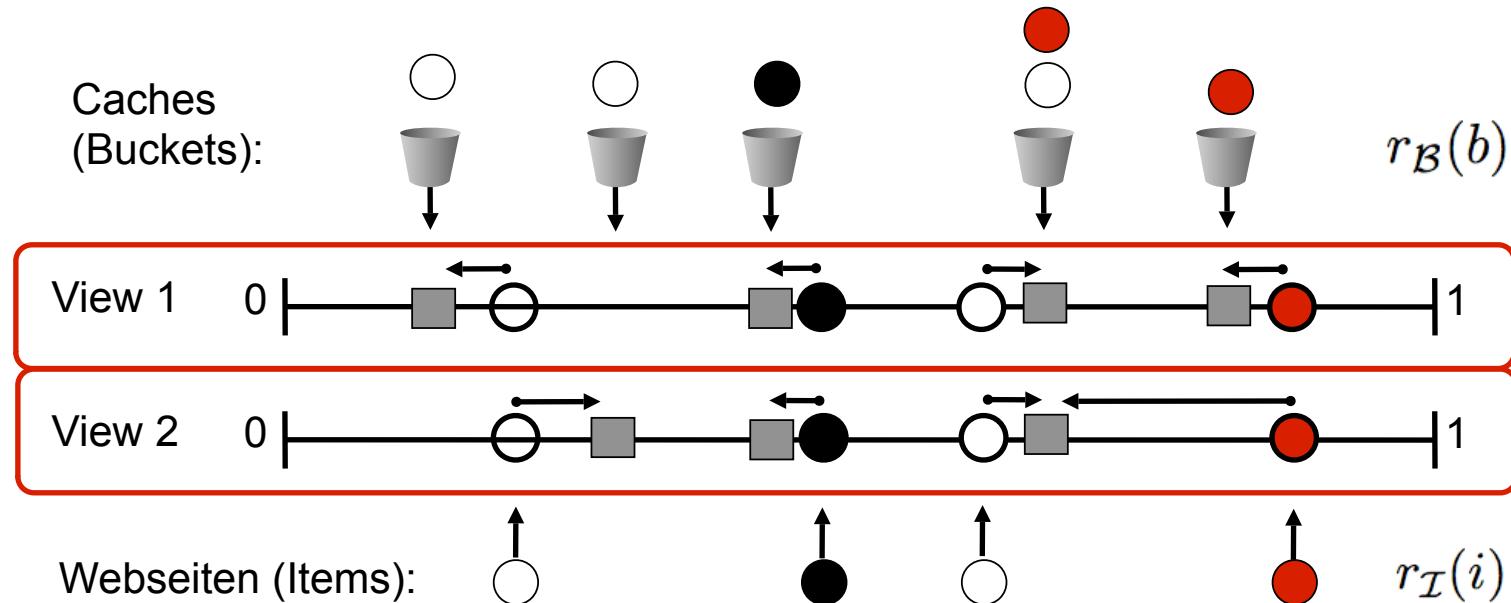
The Design

- ▶ 2 Hash functions onto the reals [0,1]

$r_{\mathcal{B}}(b)$ maps $k \log C$ copies of cache b randomly to [0,1]

$r_{\mathcal{I}}(i)$ maps web page i randomly to the interval [0,1]

- ▶ $f_{\mathcal{V}}(i) :=$ Cache $b \in \mathcal{V}$, which minimizes $|r_{\mathcal{B}}(b) - r_{\mathcal{I}}(i)|$

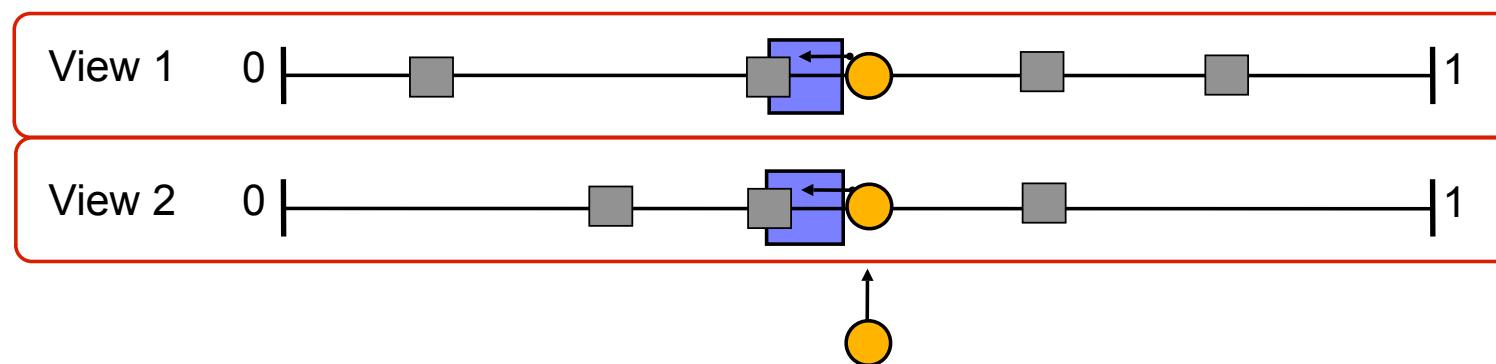


Monotony

- $f_{\mathcal{V}}(i) := \text{Cache } b \in \mathcal{V} \text{ which minimizes } |r_{\mathcal{B}}(b) - r_{\mathcal{I}}(i)|$

For all $\mathcal{V}_1 \subseteq \mathcal{V}_2 \subseteq \mathcal{B}$: $f_{\mathcal{V}_2}(i) \in \mathcal{V}_1 \Rightarrow f_{\mathcal{V}_1}(i) = f_{\mathcal{V}_2}(i)$

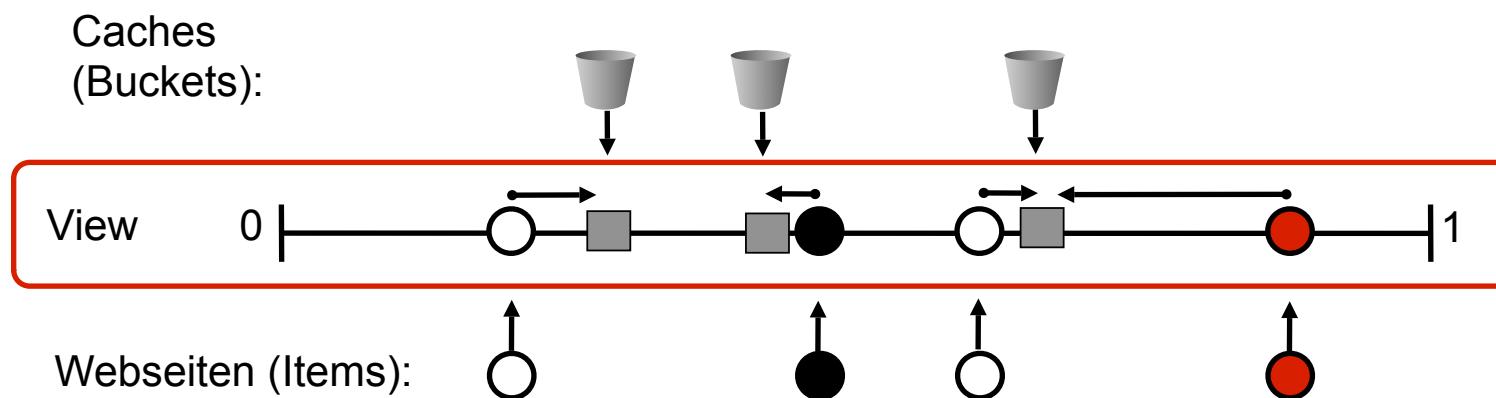
Observe: blue interval in \mathcal{V}_2 and in \mathcal{V}_1 empty!



2. Balance

Balance: For all views $\Pr [f_{\mathcal{V}}(i) = b] \leq \frac{c}{|\mathcal{V}|}$

- Choose fixed view and a web page i
- Apply hash functions $r_{\mathcal{B}}(b)$ and $r_{\mathcal{I}}(i)$.
- Under the assumption that the mapping is random
 - every cache is chosen with the same probability



3. Spread

$\sigma(i)$ = number of all necessary copies (over all views)

$$\sigma(i) := |\{f_{\mathcal{V}_1}(i), f_{\mathcal{V}_2}(i), \dots, f_{\mathcal{V}_V}(i)\}|$$

C number of caches (Buckets)

C/t minimum number of caches per View

V/C = constant (#Views / #Caches)

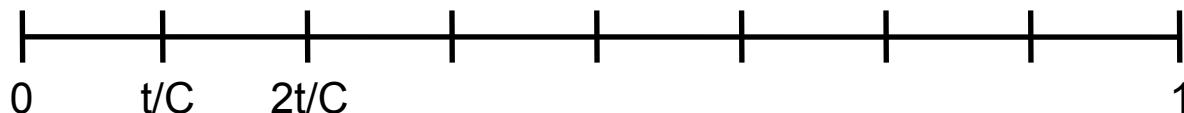
I = C (# pages = # Caches)

every user knows at least a fraction of $1/t$ over the caches

For every page i $\sigma(i) = \mathcal{O}(t \log C)$ with prob. $1 - \frac{1}{C^{\Omega(1)}}$

Proof sketch:

- Every view has a cache in an interval of length t/C (with high probability)
- The number of caches gives an upper bound for the spread



4. Load

- Last (load): $\lambda(b) = \text{Number of copies over all views}$

$$\lambda(b) := |\{ \cup_{\mathcal{V}} H_{\mathcal{V}}(b) \}|,$$

where $H_{\mathcal{V}}(b)$:= wet of pages assigned to bucket b under view V

- For every cache be we observer $\lambda(b) = \mathcal{O}(t \log C)$

$$\text{with probability } 1 - \frac{1}{C^{\Omega(1)}}$$

Proof sketch: Consider intervals of length t/C

- With high probability a cache of every view falls into one of these intervals
- The number of items in the interval gives an upper bound for the load

Summary

- ▶ **Distributed Hash Table**
 - is a distributed data structure for virtualization
 - with fair balance
 - provides dynamic behavior
- ▶ **Standard data structure for dynamic distributed storages**



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